Mathematics Placement Questionnaire

- 1) Please fill out the Questionnaire below.
- 2) Please take the appropriate Placement Exam and record your answers on the answer key.
- 3) Please return both sheets to:

The Office of the Registrar Hamilton College 198 College Hill Road Clinton, New York 13323

Name		
High school		
Mathematics Courses You Have Taken		Year of HS graduation
Descriptive Math Course T 9th grade		Course Grade(s)
10th grade		
11th grade		
12th grade		(Expected)
Special Notes:		
Calculus Information		
Does your HS offer a full-year AP Calculus course? Does your HS offer a full-year non-AP Calculus course	e?	
IF you took an AP Calculus course and the AP of AB Exam Score (If you have not yet received your score, pl and tell us your score, by letter or e-mail, a IF you took an AP course but not the exam, plea	BC Exam S ease put a "?" on tl s soon as you recei	Score he AB or the BC line we it.)
Self-Assessment		
How do YOU assess your mathematics preparation: Not prepared to start Calculus Prepared to start Calculus I		pared to start Calculus II pared to start at a higher level
How likely are you to take a math course during your	•	
Very Likely		Unlikely
Career Interests (it's OK to be undecided)		
Possible majors or areas of concentration		

Exam I 25 min. time limit

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40 m	in. time limit
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Exam II

Do not write in this space

Name_____

1.	Find f'(1) for $f(x) = \frac{x+x}{x+x}$	$\frac{-2}{-1}$.				
	(A) $-\frac{1}{4}$	(B) $\frac{1}{4}$	(C)	$\frac{5}{4}$	(D)	$\frac{5}{2}$
2.	Given $y^3 + x^2 = xy^2 + 3$,	find $\frac{dy}{dx}$ when x = 2 and y	r = 1.			
	(A) 3	(B) 0	(C)	-1	(D)	-4
3.	Find $\lim_{x\to 2} f(x)$ given that	$f(x) = \begin{cases} x & \text{when } x < 2 \\ x^2 & \text{when } x \ge 2 \end{cases}.$				
	(A) 2	(B) $\begin{cases} 2\\ 4 \end{cases}$	(C)	4	(D)	Does Not Exist
4.	Determine the area of t	he region bounded by the	e curve	es $y = x$ and $y = x^2$.		
	(A) $\frac{1}{3}$	(B) $\frac{1}{2}$	(C)	$\frac{1}{6}$	(D)	$\frac{5}{6}$
5.	Given that $f'(c) > 0$ and $f''(c) > 0$, what can you conclude about f at x			lude about f at x =	c?	
	(A) local maximum(C) no maximum or m	inimum		local minimum point of inflection		
6.	Determine the open interval(s) where the function $f(x) = x^3 - 12x$ is decreasing.					
	(A) $(-\infty, -2), (2, +\infty)$	(B) (-2, 2)	(C)	(-2, +∞)	(D)	(-∞, 2)
7.	$\lim_{x \to 2} 4 = ?$					
	(A) 4	(B) 2	(C)	0	(D)	Does Not Exist
8.	The area of a circle is in radius is changing wher	creasing at the rate of 6 so the radius is 3 inches.	quare	inches per minute.	Dete	rmine how fast the
	(A) $\sqrt{\frac{6}{\pi}}$ in/min.	(B) $\frac{1}{\pi}$ in/min.	(C)	$\frac{3}{\pi}$ in/min.	(D)	2 in/min.
9.	$\int (2x+1)^4 dx = ?$					
	(A) $\frac{2}{5}(2x+1)^5 + C$			$\frac{1}{5}(2x+1)^5 + C$		
	(C) $\frac{5}{2}(2x+1)^5 + C$		(D)	$\frac{1}{10}(2x+1)^5 + C$		

10.				
	Find $\frac{dy}{dx}$ for y = cos	$s^{3}(2x).$		
	(A) $-2\sin^3(2x)$		(B) $2 \sin^3(2x)$	
	(C) $-6 \cos^2(2x) \sin^2(2x)$	(2x)	(D) $6 \cos^2(2x) \sin(2x)$	
11.	Determine an equa	ation of the tangent line t	the curve $y = x^2$ at the point (2,4).	
	(A) $y - 4 = 2x(x - 2)$		(B) $y = 4x - 4$	
	(C) $y - 4 = -\frac{1}{2x}(x)$	z - 2)	(D) $y = 4x$	
12.	If $f(x) = x^2$, then $f(x)$	(+ h) =		
	(A) $x^2 + h$	(B) $x^2 + h^2$	(C) $x^2 + 2xh + h^2$ (D) x^2	
13.	At which of the fou	ır labeled points on the g	aph are $\frac{dy}{dx}$ and $\frac{d^2y}{dx^2}$ both negative?	
	(A) A	(B) B	(C) C (D) D	
14.	$\int \sin(2x) dx = ?$			
14.			(B) $\frac{1}{2}\cos(2x) + C$	
14.	$\int \sin(2x) dx = ?$	· C		
14.	$\int \sin(2x) dx = ?$ (A) $-\frac{1}{2x} \cos(x^2) + \frac{1}{2x} \cos(x^2) + \frac{1}$	с С	(B) $\frac{1}{2}\cos(2x) + C$	
	$\int \sin(2x) dx = ?$ (A) $-\frac{1}{2x} \cos(x^2) + \frac{1}{2} \cos(2x) + \frac{1}{2} \sin(2x) + \frac{1}{2} \cos(2x) + $	$c = (x^2 - 3x)^4.$	(B) $\frac{1}{2}\cos(2x) + C$	
	$\int \sin(2x) dx = ?$ (A) $-\frac{1}{2x} \cos(x^2) + \frac{1}{2x} \cos(x^2) + \frac{1}{2x} \cos(2x) + \frac{1}{2x} \cos(2x) + \frac{1}{2x} \cos(2x) + \frac{1}{2x} \sin(2x) \sin(2x) \sin(2x) + \frac{1}{2x} \sin(2x) \sin$	$c = (x^2 - 3x)^4.$	(B) $\frac{1}{2}\cos(2x) + C$ (D) $2\cos(2x) + C$ (B) $4(x^2 - 3x)^3(2x - 3)$	